1 Title: Morphological and genetic divergence between two lineages of 2 Magnolia salicifolia (Magnoliaceae) in Japan

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Running title: Two diverged lineages in Magnolia salicifolia


#### Abstract


Uncovering how populations of a species differ genetically and ecologically is important for understanding evolutionary processes. We investigated genetic structure using nuclear microsatellites and chloroplast DNA sequences and geographical variation in leaf morphological traits among Magnolia salicifolia populations across its entire species range. Two distinct lineages, northern and southern lineages, were genetically detected and both lineages had substructure among populations. The width/length ratio and area of leaves showed latitudinal gradients, while the position of the maximum leaf width exhibited a discontinuous change between the lineages. Approximate Bayesian computation detected exponential population growth and stable population size from the past to the present in the northern and southern lineages, respectively. Small amounts of migrations between the lineages were inferred. Divergence time between the lineages was estimated to be the early to middle Pleistocene. Ecological niche modeling showed single large potential distribution area on the Sea of Japan side and multiple intermittent ones on the Pacific Ocean side during the last glacial maximum.

We suggest that these distinct evolutionary histories of the northern and southern lineages after diversification have influenced not only neutral markers but also genes controlling leaf morphological traits.

ADDITONAL KEYWORDS: approximate Bayesian computation chloroplast DNA - ecological niche modeling - genetic structure intraspecific divergence - leaf morphological trait - nuclear microsatellite phylogeography - population demography

## INTRODUCTION

Although spatially heterogeneous distribution of morphological traits across populations along environmental gradients is considered to result mainly from natural selection associated with environmental factors, congruence may be observed between such morphological heterogeneity and genetic variation detected by neutral genetic markers. Several studies have reported such congruence within species (Butcher, McDonald \& Bell, 2009; Hodgins \& Barrett, 2007; Ikezaki et al., 2016; Lagercrantz \& Ryman, 1990; Pestano \& Brown, 1999). This congruence can be due to circumstances in which population history influenced not only neutral genes but also the genes controlling morphological traits. Because migration counteracts natural selection, differentiation between morphological traits is rare between populations in which migration frequently occur, although it also depends on the strength of the selective pressure (Lenormand, 2002). When populations are isolated from each other for a long time and the level of migration is low, differentiation of not only neutral genes but also morphological traits affecting fitness can occur simultaneously (Pestano \&

Brown, 1999). It is also known that even genes affecting fitness behave as though they are neutral when the product of effective population size and selective coefficient is low (Kimura, 1968). In other words, when populations are founded by a small number of individuals, traits affecting fitness can work like neutral genes.

Signatures of past population history (e.g. change in population size, divergence and admixture) can be observed in current genetic diversity within and among populations. A population that has experienced a severe bottleneck shows an excess of heterozygosity compared with that expected under mutation-drift equilibrium (Cornuet \& Luikart, 1996), or, in the case of microsatellites, reductions in allele numbers relative to the overall range of allele sizes (Garza \& Williamson, 2001). If there has been migration between diverged populations, individuals within these populations may show admixed multiple ancestries (Pritchard, Stephens \& Donnelly, 2000). Such inferences based on summary statistics or model-based population structure analyses help us to understand past population history qualitatively but not quantitatively. However, population demographic modeling using coalescent theory or diffusion equation approximation based approaches
enable us to make quantitative inferences and moreover to compare different hypotheses (Csillery et al., 2010; Excoffier et al., 2013). Ecological niche modeling is another tool useful for inferring past population history. By applying a species distribution model, constructed using current distribution patterns and climate data, to paleoclimate data we can infer past potential distribution ranges. A combination of population demographic and ecological niche modelings may provide us with a deeper understanding of species history from multiple perspectives (Alvarado-Serrano \& Knowles, 2014).

Probably because the Japanese archipelago is latitudinally long and there are environmental clines from south to north, gradients in leaf morphological traits in Japanese beech (Fagus crenata) along latitude have been reported (Hagiwara, 1977; Hashizume, Lee \& Yamamoto, 1997). Moreover, climate conditions across the Japanese archipelago are different between the Sea of Japan and Pacific Ocean sides; the climate of this archipelago on the Sea of Japan side is characterized by heavy snowfall in winter. It is known that when related species are distributed on opposite sides, or when a single species is present on both sides, their life forms on
the Japan Sea differ from those on the Pacific Ocean sides (Fujita, 1987). For example, when pairs of deciduous tree varieties or species are compared, that distributed on the Sea of Japan side typically has broader, larger and thinner leaves than that on the Pacific Ocean side; this has been shown for between Viburnum plicatum var. tomentosum and $V$. plicatum var. tomentosum f. glabrum, between Viburnum sieboldii and V. sieboldii var. obovatifolium, between Alnus serrulatoides and A. fauriei, and between Hamamelis japonica and $H$. japonica var. discolor, where in each case the first of the pair is distributed on the Sea of Japan side (Hotta, 1974). Moreover, several studies have reported that species distributed across the entire Japanese archipelago show clear genetic structure (Hiraoka \& Tomaru, 2009; Iwasaki et al., 2012; Okaura et al., 2007; Sakaguchi et al., 2012).

Magnolia salicifolia (Siebold et Zucc.) Maxim. is a deciduous broad-leaved tree belonging to the Magnoliaceae which grows in warm-temperate and cool-temperate forests on the Honshu, Shikoku and Kyushu Islands of Japan (Fig. 1). Its habitat is mid slope or ridges and it likes relatively dry sites. M. salicifolia blooms in early spring and its flowers are insect pollinated. There are geographical variations in the
essential oils that are extracted from its flower buds, with two different types of oil in the populations distributed in northern Japan and another type found in those growing in southern Japan (Nagasawa et al., 1969). Two ecotypes with different morphologies have been reported; a dwarf type with flowers with a high stamen/pistil in northern Japan, and a tree type whose flowers have a low stamen/pistil ratio in southern Japan (Takahashi, Shimoda \& Hoshizaki, 2005). There are also differences in leaf morphology between the two types, with large, thin and wavy leaves on the dwarf type and small, thick and non-wavy leaves on the tree type, but these differences have not yet been examined in detail. Because of these characteristics, $M$. salicifolia is considered to be a suitable species in which to investigate the relationships between morphology and genetic structure and the effects of population history on morphology.

In this study, we investigated genetic structure among populations of $M$. salicifolia across its entire species range using nuclear microsatellites and chloroplast DNA (cpDNA) sequences. We also examined geographical variations in leaf morphological traits among the populations. To infer the past population history and potential distribution area of the species, we
performed, respectively, population demographic modeling using both nuclear microsatellites and cpDNA sequence data with the approximate Bayesian computation approach, and ecological niche modeling. Lastly, we addressed congruence between genetic structure and geographical variation in leaf morphological traits, and we discuss the effects of population history on morphological traits.

## MATERIALS AND METHODS

## Sample collection

We selected 24 populations from the entire distribution range of $M$. salicifolia and sampled 10 to 20 leaves per individual for DNA extraction and measurement of leaf morphology (Fig. 1 and Table 1). As M. salicifolia propagates asexually by natural layering, we sampled leaves only from trees standing more than 5 m apart from each other. The second or subsequent leaves from the top of a shoot, which were sufficiently expanded, were selected for morphological measurement. Since not enough leaves for

10 Total genomic DNA was extracted using a hexadecyltrimethylammonium
morphological measurement could be collected in population 5 (Tadami), samples from this population were used only for genetic analysis. We also sampled one individual of $M$. denudata, which was planted at Nagoya University ( $35.155 \mathrm{~N}, 136.971 \mathrm{E}$ ), as an outgroup for cpDNA sequence analysis. Leaves were transported to the laboratory in refrigerated conditions. After scanning leaf shape, leaves were stored at $-30^{\circ} \mathrm{C}$ until required for DNA extraction.
DNA extraction, genotyping and sequencing bromide (CTAB) method (Murray \& Thompson, 1980) with minor modification. Ten nuclear microsatellites (nSSRs) developed for M. stellata, which is a species related to M. salicifolia, stm0002, $\operatorname{stm} 0163$, $\operatorname{stm} 0184$, $\operatorname{stm} 0214, \operatorname{stm} 0223, \operatorname{stm} 0246, \operatorname{stm} 0251, \operatorname{stm} 0415, \operatorname{stm} 0423$ and $\operatorname{stm} 0448$ (Setsuko et al., 2005), were amplified using a Multiplex PCR Kit (QIAGEN) with a GeneAmp PCR System 9700 (Applied Biosystems, Waltham, Massachusetts, USA) following the manufacturer's instructions. The amplified PCR products were electrophoresed with a 3100-Avant

Genetic Analyzer (Applied Biosystems). Microsatellite genotypes were then determined by GeneScan version 3.7 and Genotyper version 3.7 (Applied Biosystems).

Four non-coding cpDNA regions, $\operatorname{trnS}$ - $\operatorname{trn} G$ (Shaw et al., 2005), $\operatorname{trn} T$ psbD (Shaw et al., 2007), trnT-trnL (Shaw et al., 2005; Taberlet et al., 1991) and rpl36-infA-rps8-rpl14 (Shaw et al., 2007), were sequenced from 2 to 4 individuals of each population of $M$. salicifolia and one individual of M. denudata (outgroup). The primers used in this study are listed in the Supporting Information, Table S1. The total volume for PCR was $5.0 \mu \mathrm{~L}$, containing $1.0 \mu \mathrm{~L}$ of template DNA, $2.5 \mu \mathrm{~L}$ of AmpliTaq Gold Master Mix (Applied Biosystems) and $0.2 \mu \mathrm{M}$ of each primer. The PCR was performed with an intial denaturation for 4 minutes at $94^{\circ} \mathrm{C}$ followed by 30 cycles of denaturation for 1 minute at $94^{\circ} \mathrm{C}$, annealing for 1 minute at $55^{\circ} \mathrm{C}$ and extension for 1 minute at $72^{\circ} \mathrm{C}$, with a final extension for 7 minutes at $72^{\circ} \mathrm{C}$. After precipitation of PCR products with polyethylene glycol, sequencing was performed directly by using a BigDye Terminator Cycle Sequencing Kit version 3.1 (Applied Biosystems) and the sequencing reaction products were electrophoresed on a 3130-Avant Genetic Analyzer (Applied

Biosystems).

Analysis of genetic diversity and differentiation

For each nSSR locus across all populations, the number of alleles $(A)$, average gene diversity within populations $\left(H_{\mathrm{s}}\right)$, gene diversity in the total population $\left(H_{\mathrm{T}}\right)$ and Weir and Cockerham's $F_{\mathrm{ST}}$ were calculated. Hedrick's standardized $G_{\text {ST }}\left[G^{\prime}{ }_{\text {ST }}\right.$; Hedrick (2005)] and Jost's $D$, which is another population differentiation measure (Jost, 2008), were also manually calculated. The significance of population differentiation at each locus was evaluated by a randomization test. For each population over all nSSR loci, allelic richness $\left(A_{\mathrm{R}}\right)$ based on nine diploid individuals, expected heterozygosity $\left(H_{\mathrm{E}}\right)$ and fixation index $\left(F_{\mathrm{IS}}\right)$ were calculated. The significance of departures from Hardy-Weinberg equilibrium at each locus was evaluated by a randomization test. Based on the two major genetic clusters detected by STRUCTURE analysis, we separated 24 populations into northern (populations 1 to 10 ) and southern (11 to 24) lineages (see details in "Genetic diversity and differentiation" in Results), and the differences in $A_{\mathrm{R}}, H_{\mathrm{E}}$ and $F_{\text {IS }}$ between the two lineages were evaluated by
randomization tests. The above calculations, apart from those of $G^{\prime}$ Іт and $D$ were conducted using FSTAT version 2.9.3.2 (Goudet, 1995). We tested for the presence of an isolation by distance pattern, which indicates significant correlation between geographic and genetic distances, by the Mantel test with R package ade4 version 1.7.5 (Chessel, Dufour \& Thioulouse, 2004). Kilometers on a $\log$ scale and $F_{\mathrm{ST}} /\left(1-F_{\mathrm{ST}}\right)$ between population pairs were used as geographic and genetic distances, respectively. $D_{\mathrm{A}}$ distances between populations were calculated (Nei, Tajima \& Tateno, 1983) and a neighbor-joining tree among populations based on these distances was then constructed, with R package ape version 4.0 (Paradis, Claude \& Strimmer, 2004).

Genetic structure among populations was investigated with a model based clustering method implemented in STRUCTURE version 2.3.4 (Falush, Stephens \& Pritchard, 2003; Pritchard, Stephens \& Donnelly, 2000). The admixture and correlated allele frequency models were used. As suggested by Wang (2017), different $\alpha$ values for each genetic cluster were estimated and a low initial value of $\alpha=0.05$ was applied. Different numbers of genetic clusters ( $K$ ) from 1 to 22 were tested. For each $K$, the first 40,000
steps were discarded as a burn-in period and then 40,000 steps were used for the estimation of membership of each genetic cluster for each individual. The estimations of parameters were repeated 5 times for each $K$. To estimate the optimal $K$, the $\log$ probability of data and $\Delta K$ for each $K$ were estimated with the R package corrsieve version 1.6.8 (Campana et al., 2011; Evanno, Regnaut \& Goudet, 2005). Analysis of molecular variance (AMOVA) was performed with Arlequin version 3.5.2 (Excoffier \& Lischer, 2010). Genetic variation was hierarchically divided into three layers, which were the lineages inferred by STRUCTURE analysis, populations and individuals, and variance components for each layer and related $\Phi$-statistics were calculated. The significance of each $\Phi$-statistic was evaluated by a permutation test implemented in Arlequin.

CpDNA sequences were edited and assembled with DNA baser version 3 (Heracle BioSoft SRL), and then aligned with the MUSCLE algorithm in MEGA version 5.1 (Edgar, 2004; Tamura et al., 2011). Mono- or di-nucleotide repeats in the sequences were omitted from subsequent analysis to avoid the possibility of homoplasy. CpDNA haplotypes were determined and a network among them was constructed using TCS version
1.21 (Clement, Posada \& Crandall, 2000). The number of polymorphic sites $(S)$, mean number of pairwise differences $(\pi)$ and Tajima's $D$ were calculated, and Tajima's test for selective neutrality (Tajima, 1989) was performed with Arlequin.

Analysis of variation in leaf morphology

Numerical conversion of leaf shape into elliptic Fourier descriptors and the measurement of leaf area were conducted with SHAPE version 1.3 (Iwata \& Ukai, 2002). We used those principal components (PCs) the cumulative contribution of which to the total variance of data was more than $80 \%$, which were obtained by SHAPE. Because that PC2 represented asymmetry of leaf shape, so that positive and negative values probably have no biological meaning, and since normality needed to be ensured, log-transformed absolute values of PC2 were used in the following analyses. Based on the PCs and leaf areas, nested-analysis of variance (ANOVA) was conducted to estimate variance components using R package lme4 version 1.1.12 (Bates et al., 2015). Changes in PCs and leaf areas with latitude were assessed by using a generalized additive mixed-effect model (GAMM) in R
package gamm4 version 0.2.4 (Wood \& Scheipl, 2016). Normal distribution and identity link were used, respectively, as error distribution and link function for the GAMM. Differences among individuals within populations and among populations were treated as random effects. $F$-tests were used to evaluate the significances of smooth terms.

Cluster analysis among the 24 populations using Ward's method based on Euclidian distances calculated from PCs (for PC2, log-transformed absolute values were also used) and leaf area was conducted with R package stats version 3.3.2 (R Core Team, 2016). All variables were standardized before calculating the distances.

## Inference of population demography

To infer population demographic history in the two lineages inferred by STRUCTURE analysis, we employed a sequential approximate Bayesian computation (ABC) approach (Chen et al., 2017). First, we applied population size change models for each lineage and then using the information from the results of these population size change models, we applied models of population divergence between the two lineages.

Four population size change models, which were the same except for the priors as those used in Chen et al. (2017), were built and were applied to each lineage (Fig. 2A). Model 1, a standard neutral model, assumes that there were no size changes in the past. Model 1 has one structural parameter, $N_{\text {CUR }}$, which is the current effective population size where a unit is the number of diploid individuals. Model 2, an exponential growth model, assumes that a population has grown exponentially from the past to the present according to the formula $N_{\mathrm{T}}=N_{\mathrm{CUR}} \times \exp (G \times T) . N_{\mathrm{T}}, G$ and $T$ are, respectively, the effective population size at time $T$, growth rate and time from the present, where a unit is generation. A negative value of $G$ indicates that the population has expanded from the past to the present. Model 2 thus has two structural parameters $N_{\text {CUR }}$ and $G$. Model 3, an instantaneous size change model, assumes that the population size changed instantaneously at time $T$. Model 3 has three structural parameters, $N_{\mathrm{CUR}}, T$ and $N_{\mathrm{ANC}} . N_{\mathrm{ANC}}$ is ancestral effective population size. Model 4, an exponential growth after instantaneous population size change model, is a combination of models 2 and 3. Model 4 has four structural parameters, $N_{\text {CUR }}, G, T$ and $N_{\mathrm{ANC}}$. The priors for all structural parameters are listed in the Supporting Information,

Table S2. The same priors were applied for all four models.

A generalized stepwise mutation model (GSM) was used as a model of mutation for nSSRs (Estoup, Jarne \& Cornuet, 2002). GSM has two parameters, mutation rate per generation $(\mu)$ and a GSM geometric parameter $\left(P_{\mathrm{GSM}}\right) . P_{\mathrm{GSM}}$ ranges from 0 to 1 and represents the proportion of mutations that change allele sizes by more than one step; a value of zero means a strict stepwise mutation model (SMM). We simulated ten independent loci. The prior distribution for the mean value of $\mu$ among 10 loci was drawn from a log-uniform distribution from $10^{-5}$ to $10^{-3}$ (Supporting Information, Table S2) and each locus value of $\mu$ was randomly drawn from a gamma distribution with shape and rate parameters. The prior distribution of the shape parameter was drawn from a uniform distribution from 0.5 to 5 and the rate parameter was then calculated by shape / the mean value of $\mu$. The prior distribution of the mean value of $P_{\mathrm{GSM}}$ among the 10 loci was drawn from a uniform distribution from 0 to 1 and each locus value of $P_{\mathrm{GSM}}$ was randomly drawn from a beta distribution with $a$ and $b$ parameters. The values of $a$ and $b$ were calculated from, respectively, $0.5+199 \times$ the mean value of $P_{\mathrm{GSM}}$ and $a \times\left(1-\right.$ the mean value of $\left.P_{\mathrm{GSM}}\right) /$
the mean value of $P_{\mathrm{GSM}}$, according to Excoffier, Estoup and Cornuet (2005). For cpDNA sequences, we simulated $3,929 \mathrm{bp}$ sequences, which was the length of observed sequences excluding insertions/deletions (indels) and simple sequence repeats. The mutation rate for cpDNA sequences was set to $2.0 \times 10^{-9}$ substitutions per site per generation (Muse, 2000; Sakaguchi et al., 2012). Thus, all four models have three additional free parameters related to the mutation model, the mean value of $\mu$, shape and the mean value of $P_{\mathrm{GSM}}$ for nSSR .

All priors were generated with R version 3.3.2 ( R Core Team, 2016) and simulations were conducted with fastsimcoal2 version 2.5.2.21 (Excoffier \& Foll, 2011). When simulating cpDNA sequences, the effective population size was set to half of that for nSSR because M. salicifolia is hermaphrodite and all individuals can become both maternal and paternal trees. Values of $2 \times N_{\text {CUR }}$ and $N_{\text {CUR }}$, representing the numbers of gene copies, were therefore passed to the coalescent simulator when simulating nSSR and cpDNA sequences, respectively. The simulations were repeated $5 \times 10^{5}$ times and summary statistics were calculated with arlsumstat version 3.5.2 (Excoffier \& Lischer, 2010) for each model and for each lineage. The
average and standard deviation for the number of alleles, expected heterozygosity and allele size range were used as the summary statistics for nSSR. The number of polymorphic sites and the mean number of pairwise differences were used as the summary statistics for cpDNA sequences. Thus a total of eight summary statistics was used for the following analyses. The tolerance rate was set to 0.005 and 2,500 simulated data sets nearest to the observed data were used for model comparison and parameter estimation. The neural network regression method implemented in the R package abc version 2.1 was used for estimating posterior probabilities for models and posterior distribution for parameters (Csillery, Francois \& Blum, 2012). Logit transformation of parameters was applied so as to keep the estimation of posterior distributions for parameters within prior ranges. The posterior mode and $95 \%$ highest posterior density (HPD) were calculated with density and HPDinterval functions of the R packages stats version 3.3.2 ( R Core Team, 2016) and coda version 0.18 (Plummer et al., 2006), respectively.

As models 2 and 1 were supported for the northern and southern lineages, respectively (see details in "Population demography" in Results), we assumed that the northern lineage had diverged from the southern
lineage in the past and subsequently expanded exponentially, while the southern lineage had kept its effective population size. Taking these assumptions into account, population divergence models were built (Fig. 2B). An isolation without migration model (I model) has four structural parameters, effective population size in the northern lineage $\left(N_{\mathrm{N}}\right)$, effective population size in the southern lineage $\left(N_{\mathrm{S}}\right), G$ and divergence time ( $T_{\text {DIV }}$ ). An isolation with migration model (IM model) has six parameters including bidirectional migration rates, $N m_{\mathrm{NS}}$ and $N m_{\mathrm{SN}}$, which are the number of migrants per generation from the northern to the southern lineages, and that from the southern to the northern lineages, respectively. Note that the direction of migration is toward coalescence, i.e. backward-in-time. When running simulations, $N m_{\mathrm{NS}}$ and $N m_{\mathrm{SN}}$ were divided by $N_{\mathrm{N}}$ and $N_{\mathrm{S}}$, respectively, and the migration rates calculated were then passed to the coalescent simulator. In angiosperms, the migration rate revealed by the nuclear genome reflects both pollen and seed dispersal, while that of the chloroplast genome reflects only seed dispersal because the chloroplast genome is generally maternally-transmitted. When simulating cpDNA sequences, we thus multiplied migration rates by a coefficient $\beta$, which
ranges from 0 to 1 , in order to allow for the reduction in migration rate for the chloroplast genome. The prior distribution of $\beta$ was drawn from a uniform distribution from 0 to 1 . To reduce computational costs and increase the accuracy of parameter estimation, $G$ was fixed at $-2.24 \times 10^{-4}$ based on the results of the analysis of population size change models (see details in "Population demography" in Results). The prior distributions for other parameters, including mutation model parameters, are listed in the Supporting Information, Table S3.

The simulations in the population divergence models were repeated 1.5 million times in the same way as for the population size change models. However, when simulating nSSR data, only 200 individuals in each lineage were simulated, in order to reduce computational costs. Summary statistics were therefore calculated for 400 randomly selected individuals (200 individuals in each lineage). We also calculated $F_{\text {ST }}$ for overall 10 nSSR loci and $F_{\mathrm{ST}}$ for cpDNA sequences to obtain additional summary statistics, and a total of 18 summary statistics was used for model comparison and parameter estimation. The tolerance value was set to 0.002 keeping the 3,000 simulated data sets that were closest to the observed data. Using these
datasets, model comparison and parameter estimation were also conducted in the same way as in the population size change models.

Finally, to evaluate the degree to which models fitted the observed data, posterior predictive simulations with 1,000 samples randomly drawn from the posterior distribution were conducted for both analyses of population size change and population divergence models. Summary statistics were calculated and compared to the corresponding observed data.

## Ecological niche modeling

Ecological niche modeling was performed to infer the possible distribution ranges of $M$. salicifolia in the last glacial maximum (LGM; 21 kya) and last inter-glacial (LIG; 130 kya), using the maximum entropy method implemented in Maxent version 3.3.3k (Phillips, Anderson \& Schapire, 2006). We used 176 location data points where the occurrence of $M$. salicifolia was recorded. These location data consisted of the 24 populations sampled in this study, our field observations and records from Global Biodiversity Information Facility (GBIF; http://www.gbif.org/). All records from GBIF were thoroughly checked against satellite images on Google

Maps (http://maps.google.com) and ambiguous or erroneous location data were removed. A current distribution model was constructed with six bioclimatic variables that took into account the ecological characteristics of the species: annual mean temperature (bio1), mean temperature of warmest quarter (bio10), mean temperature of coldest quarter (bio11), annual precipitation (bio12), precipitation in warmest quarter (bio18) and precipitation in coldest quarter (bio19) at a resolution of 2.5 arc-minutes; data were obtained from WorldClim (http://www.worldclim.com). Validation of the model was performed, using 100 replicates of cross-validation procedures, with $25 \%$ of the data for model testing, implemented in Maxent. Assuming uniformity of ecological niche for $M$. salicifolia, the model so constructed was applied to LGM and LIG climatic layers, which were also obtained from WorldClim, to predict distributions of the species in the past. The model for interdisciplinary research on climate [MIROC; Hasumi and Emori (2004)] and the community climate system model [CCSM; Collins et al. (2006)] were used to predict distributions during the LGM.

## RESULTS

## Genetic diversity and differentiation

The average values of the number of alleles $(A)$ and average gene diversity within populations $\left(H_{\mathrm{s}}\right)$ over the 10 nuclear microsatellite loci across the 24 populations studied were 27.8 and 0.782, respectively (Supporting Information, Table S4). The values of $F_{\mathrm{ST}}, G^{\prime}$ ST and Jost's $D$ over the 10 loci were $0.133,0.613$ and 0.556 . All 10 loci showed significant population differentiation. Among the 24 populations over the 10 loci, allelic richness $\left(A_{\mathrm{R}}\right)$ based on nine individuals ranged from 4.43 to 10.31 with an average of 7.23 and expected heterozygosity $\left(H_{\mathrm{E}}\right)$ ranged from 0.605 to 0.905 with an average of 0.782 (Table 1). The population Ashu (15) showed the highest values of $A_{\mathrm{R}}$ and $H_{\mathrm{E}} . A_{\mathrm{R}}$ and $H_{\mathrm{E}}$ in each population decreased continuously as distance from population 15 increased (Supporting Information, Figs. S1 and S2). Fixation index ( $F_{\text {IS }}$ ) ranged from -0.138 to 0.149 within populations and its value over all populations was 0.064 (Table 1). Eleven of the 24 populations showed significant deviation from Hardy-Weinberg
disequilibrium.

The $\log$ probability of data in each $K$ estimated by STRUCTURE analysis increased with increasing $K$ and reached a plateau at $K=17$ (Supporting Information, Fig. S3). Each genetic cluster at $K=17$ corresponded well to one or two populations and most populations were dominated by single clusters. $\Delta K$ was highest at $K=2$. The distribution of genetic clusters at $K=2$ showed clear separation between northern and southern regions (Fig. 1). Clusters 1 and 2 dominated in the northern and southern regions, respectively. We therefore classified the 24 populations into northern (populations 1 to 10) and southern lineages (11 to 24). The value of $F_{\text {ST }}$ between each cluster and the ancestral population was 3.63 times greater for cluster 1 (0.058) than for cluster $2(0.016)$. The populations near the boundary between the two lineages, especially populations 9 and 15 , showed genetic admixture between the two clusters. Although the difference in the average value of $A_{\mathrm{R}}$ between the two lineages was not significant, the average value of $H_{\mathrm{E}}$ was significantly lower in the northern lineage (0.735) than in the southern lineage $(0.815, P=0.012$; Table 1$)$.

Isolation by distance patterns were detected across all 24 populations
( $R^{2}=0.347$ and $P<0.001$ ) and in both the northern and southern lineages $\left(R^{2}=0.174, P=0.004\right.$ and $R^{2}=0.208, P<0.001$, respectively; Supporting Information, Fig. S4). The neighbor-joining tree based on $D_{\mathrm{A}}$ distances reflected geographical locations of populations well (Supporting Information, Fig. S5). Divergence between the northern and southern lineages was supported with a bootstrap probability of $87 \%$.

The total length of aligned cpDNA sequences in four regions was 3,932 bp. Eleven substitutions and one indel were detected within the species and seven haplotypes were identified (Fig. 1 and Supporting Information, Table S5). All populations except for Kuraiyama (11) had single haplotypes. The populations in the northern lineage had only two haplotypes, while those in the southern lineage had six. The number of polymorphic sites $(S)$ and mean number of pairwise differences $(\pi)$ were much lower in the northern lineage ( 1 and 0.189 ) than in the southern lineage (10 and 3.349 , respectively). A negative value of Tajima's $D$ was detected in the northern lineage ( -0.592 ), while a positive value was detected in the southern lineage (1.047). However, the results of Tajima's tests for selective neutrality were not significant for either lineage. All sequences for the eight haplotypes,
including one haplotype for the outgroup were deposited in the DDBJ/EMBL/GenBank database (LC222591-LC222622).

AMOVA was performed with three layers: between lineages, among populations within lineages and among individuals within populations (Table 2). Both nSSR and cpDNA haplotypes showed significant divergence between lineages with $\Phi_{\mathrm{CT}}$ values of 0.053 and 0.195 , respectively.

## Variation in leaf morphology

Three principal components (PCs) detected by SHAPE made more than $80 \%$ cumulative contribution to the overall variance in PCs explaining the variation in leaf shape (Supporting Information, Table S6). PC1, PC2 and PC3 reflected, respectively, differences in leaf width/length ratios, curvature of the tip and base of a leaf, and position of the maximum leaf width (Fig. 3A). Significant differences in PC1, PC3 and leaf area between the northern and southern lineages were detected (Supporting Information, Table S7). Significant smooth terms along latitude were detected in PC1, PC3 and leaf area $(P<0.001$; Figs. 3B, D and E), but not in PC2 ( $P=0.067$; Fig. 3C). The smooth terms in PC1 and leaf area acted linearly and there were
latitudinal clines in PC1 and leaf area, while that in PC3 acted non-linearly and the values for PC3 were higher in the southern lineage than in the northern lineage. The dendrogram constructed by cluster analysis showed a clear division between the northern and southern lineages, with the exception of population 3 (Yamabushidake; Fig. 3F). In summary, the northern lineage had wide leaves (large PC1), with the maximum width being near the central position (small PC3), and large leaf area, whereas the southern lineage had narrow leaves (small PC1), with their maximum width near the base (large PC3), and small leaf area (Fig. 3 and Supporting Information, Fig. S6).

## Population demography

In the comparisons among four models of change in population size, the population expansion model (model 2 ) and standard neutral model (model 1) were best supported with probabilities of 0.574 and 0.503 , for the northern and southern lineage, respectively (Table 3). Posterior predictive simulations for the best models for each lineage showed good fitting of the predicted values to the observed values (Supporting Information, Fig. S7).

In a comparison between the divergence models with or without migration, the isolation with migration model (IM model) was strongly supported, with a probability of 0.882 (Table 4). Posterior predictive simulations for the IM model showed good fitting of the predicted values to the observed values (Supporting Information, Fig. S8). All posterior distributions for the parameters in the IM model differed from their prior distributions and showed clear single peaks (Supporting Information, Fig. S9). Posterior modes $(95 \%$ HPD $)$ for effective population sizes in the northern $\left(N_{\mathrm{N}}\right)$ and southern lineage $\left(N_{\mathrm{S}}\right)$ were $254,000(27,000-958,000)$ and $159,000(44,000-$ 404,000 ), respectively (Table 4). Although the mode of $N_{\mathrm{N}}$ was greater than that of $N_{\mathrm{S}}$, the difference in posterior distribution was not significant with a posterior probability of 0.642 . The posterior mode $(95 \% \mathrm{HPD})$ for the divergence time between the two lineages ( $T_{\text {DIV }}$ ) was $37,900(12,200-$ $970,600)$ generations ago. Effective population size in the northern lineage at time $T_{\text {DIV }}$ was $52(0.02 \%$ of the current size $)$. The numbers of migrants per generation from the southern to the northern lineage ( $\mathrm{Nm}_{\mathrm{NS}}$ ) and from the northern to the southern lineage ( $\mathrm{Nm}_{\mathrm{SN}}$ ) in the forward-in-time direction were $0.97(0.00-3.58)$ and $1.75(0.00-8.84)$, respectively. Although the
mode of $N m_{\mathrm{SN}}$ was greater than that of $N m_{\mathrm{NS}}$, the difference in posterior distribution was not significant with a posterior probability of 0.592 . Posterior distributions for $N m_{\mathrm{NS}}$ and $N m_{\mathrm{SN}}$ were distributed around 1.0 (0.0 on the $\log$ scale in the Supporting Information, Fig. S9) and were not significantly different from 1.0. 4). The accuracy of ecological niche modeling was high (the area under the curve $=0.987$ and standard deviation $=0.002$ ). The predicted distributions based on the present climatic data were well aligned with the species range (Figs. 1 and 4). The climate variable that made the greatest contribution to the total variance was precipitation in the coldest quarter (bio19, 41.3\%).

The predicted distributions in the LGM based on MIROC and on CCSM showed similar patterns. There were large potential distribution areas on the Sea of Japan side of Honshu Island from $35^{\circ} \mathrm{N}$ to $39^{\circ} \mathrm{N}$. On the Pacific Ocean side, intermittent potential distribution areas were detected in the southern parts of Honshu, Shikoku and Kyushu Islands. The area in the
southern part of Shikoku was the smallest among the three Islands. Although the predicted distributions in the LIG showed a pattern similar to the present, the area was larger in southern Japan and smaller in northern Japan.

DISCUSSION

## Existence of two distinct lineages linked to leaf morphological differences

 The results of STRUCTURE analysis gave two different estimates of optimal $K$ s, 2 and 17. This indicates that there is hierarchical genetic structure. We therefore consider that there are two major lineages, the northern and southern lineages, which are subdivided into sets of populations. The neighbor-joining tree also supported the existence of the northern and southern lineages and within-lineage substructure. The northern and southern lineages correspond well with types I and II (northern Japan) and type III (southern Japan) of the essential oils extracted from flower buds (Nagasawa et al., 1969) and with the dwarf (northern Japan)and tree (southern Japan) types (Takahashi, Shimoda \& Hoshizaki, 2005). Leaf morphological traits of M. salicifolia also clearly differed between the northern and southern lineages. Leaves of the northern lineage were wide, acute and large, while those of the southern one were narrow, acuminate and small.

Moreover, especially for PC1 and leaf area, clear latitudinal clines were detected. This indicates that leaves are wider and larger as latitude increases. Leaf morphological cline from south to north in Japanese beech (Fagus crenata), which is a dominant tree species in Japanese cool-temperate forests, has been reported (Hagiwara, 1977; Hashizume, Lee \& Yamamoto, 1997). These studies showed that the leaves of Japanese beech were larger in area and had larger relative width with increasing latitude. These latitudinal trends in leaf morphology in Japanese beech are consistent with our observations on M. salicifolia. Differences in morphology between the northern and southern lineages of M. salicifolia may be based on genetic factors related to latitudinal changes in climate along the Japanese archipelago. However, effects of past population demography on these differences could not be ruled out, because historical demographic events
influence not only neutral genetic markers but also genes controlling traits related to fitness and consequently there can be concordance between morphological traits and genetic structure (Butcher, McDonald \& Bell, 2009; Hodgins \& Barrett, 2007; Lagercrantz \& Ryman, 1990). Changes in PC3 showed no clear latitudinal cline; instead, they exhibited discontinuity. Changes in the position at which leaf width was maximum suggest that this trait may have been affected by not only effects of latitudinal environmental gradients but also effects of population history.

Different population demographic histories of the two lineages

According to the results of modeling changes in population size, the northern lineage had undergone exponential growth from the past to the present, whereas the southern one had a stable population size. The northern lineage consists mainly of the common haplotype A, while the southern one consists of all other haplotypes except for E. Haplotype G, which was detected in the southern lineage, is very distant from the common haplotype A. The genetic diversity of the southern lineage is clearly higher than that of the northern one; this applies to both genomes. The value of $F_{\text {ST }}$ estimated
by STRUCTURE for cluster 2, which dominates in the southern lineage, was much lower than that for cluster 1 , which dominates in the northern lineage, and this suggests that the effect of genetic drift is greater in the northern lineage than in the southern one. Taking all these findings into consideration, it appears that the northern lineage has diverged from the southern one and expanded from a small number of founders.

The time of divergence between the northern and southern lineages estimated by the IM model was $37,900(12,200-970,600)$ generations ago. To convert this value into real time (years ago), a generation time (years per generation) must be assumed. Takahashi et al. (2006) reported that the flowering and fruiting ages of the dwarf type of M. salicifolia were $10.6 \pm 5.11$ and $13.7 \pm 6.42$ years, and those of the tree type were $17.6 \pm 6.57$ and $20.4 \pm 6.70$ years, respectively. The same authors also reported that the longevity of most dwarf type individuals was less than 50 years, while some tree type individuals survived for more than 100 years. With these data taken into consideration, we assumed that the average generation time of the two lineages was 30 years/generation and the divergence time in real units was thus inferred to be $1.14(0.37-29.12)$ million years ago. It therefore
appears that the two lineages diverged in the early to middle Pleistocene and experienced several glacial-interglacial cycles after diversification.

Posterior modes of the number of migrants per generation (Nm) between lineages ranged from 0.97 to 1.75 and their posteriors were distributed around 1.0. Sewall Wright's famous one migrant per generation rule is that only one migrant per generation is enough to prevent complete population differentiation (Wright, 1931). However, this rule comes into effect under the ideal populations on the island model. In real populations, to prevent population differentiation, it has been reported that at least $\mathrm{Nm}=$ 1-10 is needed (Mills \& Allendorf, 1996; Wang, 2004). Moreover, reported values of Nm among species or varieties of forest tree species calculated using the IM model were close to or higher than the value obtained in our study; for example, $N m=8.79-10.11$ among four Quercus species [calculated using the values shown in Table 4 of Leroy et al. (2017)], $\mathrm{Nm}=$ 1.78-5.84 between Taxodium distichum var. distichum and T. distichum var. imbricarium [calculated from the values shown in Table 6 of Ikezaki et al. (2016)] and 0.02-0.97 among three Pinus species [calculated using the values shown in the Supporting Information, Table S11 of Wachowiak,

Palme and Savolainen (2011)]. The Nm values for migration between the two lineages of M. salicifolia are low even by within-species standards and the extent of migration between them is relatively small. As migration counteracts natural selection (Lenormand, 2002), this low frequency of inter-lineage gene flow may have driven natural selection within each lineage and contributed to the different leaf shapes in the two lineages.

Ecological niche modeling detected a large continuous potential distribution area during LGM on the Sea of Japan side of central Honshu Island. This area is likely to have been the refugium of the northern and southern lineages during the LGM. The possibility is given further support by the high genetic diversity of populations in this area (especially populations 15 to 18 ) and in the finding that genetic diversity decreases with increasing distance from these populations. The potential distribution area on the Sea of Japan side of Honshu Island increased after the glacial period, especially toward the north. As the potential distribution area on the northern part of Honshu Island in LIG was small, the northern populations of the northern lineage probably settled after the last glacial period. This hypothesis is also supported by the dominance of haplotype $A$ in the
northern populations of the northern lineage. The possibility of northward population expansion from this area has been pointed out by other publications on temperate forest tree species (Fujii et al., 2002; Iwasaki et al., 2012; Tomaru et al., 1997). Potential distribution areas in LGM were also detected on the Pacific Ocean side. The southern part of Honshu Island near population 14, and southern Kyushu Island, may well have been additional refugia for the southern lineage, because there is a distinct haplotype D in population 14 and a distant haplotype $G$ in Kyushu populations (populations 22-24) on its network. The potential distribution areas in the southern Japan during LIG were larger than those in the present. The existence of multiple refugia during glacial periods and large distribution areas during interglacial periods in southern Japan may have contributed to the high genetic diversity of the southern lineage with respect to both its nuclear and its chloroplast genome, and to the stability of its population size as inferred by ABC .

## Conclusions

The analysis of genetic structure among populations using nuclear
microsatellites and cpDNA sequences clearly demonstrated that $M$. salicifolia consisted of two diverged lineages, the northern and southern lineages. Moreover, the analysis of leaf morphological traits revealed that the leaf width/length ratio, position of the maximum leaf width and leaf area were different between the two lineages and that the leaf width and area showed latitudinal clines, while the position of the maximum leaf width exhibited a discontinuous change between lineages. Based on the results from the genetic structure analysis, ABC and ecological niche modeling, it was inferred that the northern lineage expanded from a single refugium, present during the glacial period, starting from a small number of founders, whereas the southern lineage had multiple refugia and maintained a stable population size. Furthermore, the two lineages were inferred to have diverged in the early to middle Pleistocene and thereafter the level of migration between lineages may have been low, indicating that the two lineages have experienced multiple glacial-interglacial cycles in a condition of limited genetic connectivity between them. It is suggested that these distinct evolutionary histories of the northern and southern lineages after divergence have influenced not only neutral markers but also genes controlling leaf morphological traits.

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CONFLICT OF INTEREST

The authors declare no conflicts of interest.

## DATA ARCHIVING

2 Chloroplast DNA sequences used in this study were deposited in the 3 DDBJ/EMBL/GenBank data bases (LC222591-LC222622). Morphological 4 and microsatellite data, and program scripts used in this study were deposited in the Dryad Digital Repository: http: (If the manuscript is 6 accepted, we will submit there).

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Figure 1. The locations of the 24 populations studied and the distributions of genetic clusters at $K=2$ detected by STRUCTURE analysis and chloroplast DNA haplotypes across the distribution range (gray area) of Magnolia salicifolia, with a network of the haplotypes. Numbers indicates the population numbers as listed in Table 1. Pie charts and bold letters indicate, respectively, the proportions of genetic clusters at $K=2$ and the haplotypes detected within populations. $F_{\text {ST }}$ for each cluster indicates the extent of genetic divergence from the ancestral population. $N$ indicates the number of individuals having each haplotype.

Figure 2. Population size change models (A) and population divergence models (B) applied to the northern and southern lineages of Magnolia salicifolia. For the population size change models, model 1, standard neutral model; model 2, exponential growth model; model 3, instantaneous size change model; model 4, exponential growth after instantaneous size change model. $N_{\text {CUR }}$, current effective population size, where the unit is the number
of diploid individuals; $G$, growth rate $\left[N_{\mathrm{T}} / N_{\mathrm{CUR}}=\exp (G \times T)\right.$, where $N_{\mathrm{T}}$ is the effective population size at time $T] ; T$, time when the population size changed. For the population divergence models, I model, isolation without migration model; IM model, isolation with migration model. $N_{\mathrm{N}}$ and $N_{\mathrm{S}}$, current effective population sizes in the northern and southern lineages, respectively; $G$, growth rate; $T_{\text {DIV }}$, divergence time between northern and southern lineages; $N m_{\mathrm{NS}}$ and $N m_{\mathrm{SN}}$, number of migrants per generation from the northern to the southern lineage and from the southern to the northern lineage, respectively. The direction of migration is toward coalescence, i.e., backward-in-time. All time parameters are in units of generations.

Figure 3. Changes in leaf shape between -2 SD , average and +2 SD values of the three principal components (PCs), estimated by elliptic Fourier descriptors with SHAPE, which made more than $80 \%$ cumulative contribution to the overall variance explaining the variation in leaf shape in Magnolia salicifolia (A). SD indicates standard deviation. Changes in three PCs (B-D) and leaf area (E) against latitude across the 23 populations. White and black circles indicate populations in the northern and southern
lineage, respectively. Lines and gray areas indicate, respectively, the maximum likelihood estimates (MLEs) and 95\% confidence intervals inferred by the generalized additive mixed-effect model. When the smooth term was not significant, MLE is not shown. Dendrogram of the 23 populations from cluster analysis using Ward's method based on Euclidian distances calculated with PC1, $\log (|\mathrm{PC} 2|), \mathrm{PC} 3$ and leaf area (F).

Figure 4. Inferred potential distribution areas for Magnolia salicifolia in the present, the last inter-glacial (LIG; 130 kya) and the last glacial maximum (LGM; 21 kya) based on the model for interdisciplinary research on climate (MIROC) and the community climate system model (CCSM). $P$ indicates probability of occurrence. Circles and plus symbols indicate, respectively, the 24 populations sampled and records of occurrences used for the model construction.

4 this article at the publisher's web site:

6 Table S1. The four non-coding chloroplast DNA regions that were
Additional Supporting Information may be found in the online version of sequenced in this study.

Table S2. Prior distributions in the population size change models.

Table S3. Prior distributions in the population divergence models.

Table S4. Genetic diversity at 10 nuclear microsatellite loci across the 24 populations of Magnolia salicifolia studied.

Table S5. Nucleotide sequence variation among seven haplotypes in four chloroplast DNA regions of Magnolia salicifolia and M. denudata (outgroup).

Table S6. Three principal components (PCs) explaining the variation in leaf shape.

Table S7. Hierarchically estimated variance components for three principal components (PCs) explaining the variation in leaf shape and leaf area.

Figure S1. Distributions of genetic diversity in the 24 populations of Magnolia salicifolia.

Figure S2. Latitudinal and longitudinal changes in allelic richness based on nine individuals and expected heterozygosity calculated from 10 nuclear microsatellite loci in the 24 populations of Magnolia salicifolia.

Figure S3. Results from STRUCTURE analysis.

Figure S4. Geographic distance (km) transformed to natural logarithms and genetic distances $\left[F_{\mathrm{ST}} /\left(1-F_{\mathrm{ST}}\right)\right]$ estimated with 10 nuclear microsatellite loci for all 24 , the northern 10 and the southern 14 populations of Magnolia salicifolia.

Figure S5. Neighbor-joining tree constructed based on $D_{\mathrm{A}}$ distances estimated with 10 nuclear microsatellite loci among the 24 populations of Magnolia salicifolia.

Figure S6. Distributions for PC1, PC2, PC3 and leaf area across 23 populations of Magnolia salicifolia.

Figure S7. Results from the posterior predictive simulations in models 2 and 1 of the population size change models for the northern and southern lineages of Magnolia salicifolia.

Figure S8. Results from the posterior predictive simulations for the isolation with migration model (IM model) of the population divergence models in the northern and southern lineages of Magnolia salicifolia.

Figure S9. Prior and posterior distributions for the isolation (I) model and isolation with migration (IM) models in the northern and southern lineages of Magnolia salicifolia.

Table 1. Location, sample size and population genetic statistics for the 24 populations of Magnolia salicifolia studied

| Population |  | Latitude | Longitude | Lineage ${ }^{\text {a }}$ | $N_{\text {n }}$ | $N_{\text {c }}$ | $N_{\text {m }}$ | $A_{\text {R }}$ | $H_{\mathrm{E}}$ | $F_{\mathrm{IS}}{ }^{\mathrm{b}}$ |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| No. | Name |  |  |  |  |  |  |  |  |  |  |
| 1 | Hakkodasan | 40.65 | 140.90 | Northern | 31 | 2 | 33 | 4.43 | 0.605 | 0.010 | N.S. |
| 2 | Taiheizan | 39.78 | 140.22 | Northern | 32 | 2 | 32 | 5.66 | 0.702 | 0.145 | ** |
| 3 | Yamabushidake | 38.97 | 140.58 | Northern | 31 | 2 | 31 | 7.00 | 0.744 | 0.062 | N.S. |
| 4 | Gassan | 38.55 | 140.02 | Northern | 32 | 2 | 32 | 5.24 | 0.645 | 0.026 | N.S. |
| 5 | Tadami | 37.40 | 139.35 | Northern | 30 | 2 | - | 8.12 | 0.830 | 0.129 | ** |
| 6 | Sumondake | 37.28 | 139.13 | Northern | 28 | 2 | 30 | 7.17 | 0.772 | 0.102 | * |
| 7 | Nonomiike | 37.02 | 138.52 | Northern | 9 | 2 | 24 | 7.20 | 0.746 | 0.061 | N.S. |
| 8 | Amakazariyama | 36.90 | 137.97 | Northern | 38 | 2 | 37 | 7.24 | 0.749 | 0.081 | * |
| 9 | Komatsu | 36.32 | 136.44 | Northern | 29 | 2 | 30 | 7.53 | 0.798 | 0.086 | * |
| 10 | Hida | 36.23 | 136.95 | Northern | 30 | 2 | 34 | 7.70 | 0.760 | 0.149 | ** |
| 11 | Kuraiyama | 35.99 | 137.21 | Southern | 24 | 4 | 32 | 6.47 | 0.756 | 0.104 | * |
| 12 | Mennoki | 35.18 | 137.53 | Southern | 30 | 2 | 30 | 5.81 | 0.725 | -0.138 | N.S. |
| 13 | Gozaishodake | 35.02 | 136.43 | Southern | 32 | 2 | 33 | 8.90 | 0.871 | 0.043 | N.S. |
| 14 | Odaigahara | 34.18 | 136.10 | Southern | 11 | 2 | 12 | 8.21 | 0.838 | 0.040 | N.S. |
| 15 | Ashu | 35.30 | 135.72 | Southern | 32 | 2 | 32 | 10.31 | 0.905 | 0.059 | * |
| 16 | Hyonosen | 35.35 | 134.52 | Southern | 32 | 2 | 32 | 9.45 | 0.897 | 0.022 | N.S. |
| 17 | Daisen | 35.38 | 133.53 | Southern | 30 | 2 | 30 | 8.62 | 0.877 | 0.117 | ** |
| 18 | Kotobikisan | 35.03 | 132.80 | Southern | 32 | 2 | 32 | 9.34 | 0.878 | 0.065 | * |
| 19 | Tsurugisan | 33.88 | 134.12 | Southern | 32 | 2 | 32 | 7.91 | 0.858 | 0.049 | N.S. |
| 20 | Shiragayama | 33.82 | 133.58 | Southern | 24 | 2 | 24 | 7.53 | 0.831 | 0.029 | N.S. |
| 21 | Ishizuchiyama | 33.75 | 133.07 | Southern | 31 | 2 | 31 | 6.91 | 0.800 | -0.008 | N.S. |
| 22 | Soeda | 33.53 | 130.85 | Southern | 27 | 2 | 27 | 5.88 | 0.746 | 0.078 | N.S. |
| 23 | Kinryusan | 33.35 | 130.30 | Southern | 30 | 2 | 30 | 5.73 | 0.737 | 0.148 | ** |
| 24 | Shiba | 32.37 | 131.15 | Southern | 30 | 2 | 30 | 5.21 | 0.692 | 0.069 | N.S. |
| Average / overall |  |  |  |  |  |  |  |  |  |  |  |
|  | Northern |  |  |  | 29.0 | 2.0 | 31.4 | 6.73 | 0.735 | 0.088 |  |
|  | Southern |  |  |  | 28.4 | 2.1 | 29.1 | 7.59 | 0.815 | 0.045 |  |
|  | All |  |  |  | 28.6 | 2.1 | 30.0 | 7.23 | 0.782 | 0.064 |  |

$N_{\mathrm{n}}$, number of individuals for analysis of nuclear microsatellites; $N_{\mathrm{c}}$, number of individuals for analysis of chloroplast DNA sequences; $N_{\mathrm{m}}$, number of individuals for analysis of leaf morphology; $A_{\mathrm{R}}$, allelic richness based on nine diploid individuals; $H_{\mathrm{E}}$, expected heterozygosity; $F_{\text {IS }}$, fixation index.
${ }^{\text {a }}$ Lineages were determined by STRUCTURE analysis.
${ }^{\mathrm{b}}$ The significance of departures from Hardy-Weinberg equilibrium was tested by randomization tests. $P$-values were adjusted with Bonferroni correction. ${ }^{\text {N.S. }}$, not significant; ${ }^{*}, P<0.05 ;{ }^{* *}, P<0.01$.

Table 2. Results from analysis of molecular variance for nuclear microsatellites and chloroplast DNA haplotypes

| Layer | Nuclear microsatellite |  |  | Chloroplast DNA haplotype |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Variance component (\%) | $\Phi$-statistics |  | Variance component (\%) | $\Phi$-statistics |  |
| Between lineages | 5.3 | $\Phi_{\mathrm{CT}}=0.053$ | *** | 19.5 | $\Phi_{\text {CT }}=0.195$ | *** |
| Among populations within lineages | 10.3 | $\Phi_{\text {SC }}=0.109$ | *** | $78.6$ | $\Phi_{\text {SC }}=0.976$ | *** |
| Among individuals within populations | 84.4 | $\Phi_{\text {ST }}=0.156$ | *** | 1.9 | $\Phi_{\text {ST }}=0.981$ | *** |

${ }^{* * *}, P<0.001$.

Table 3. Posterior model probabilities, and posterior modes and $95 \%$ highest posterior densities (HPDs) for parameters in the models of population size change, for the northern and southern lineages of Magnolia salicifolia

| Lineage | Model | Posterior probability | Parameter (mode / 95\% HPD) |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | $N_{\text {CUR }}\left(\times 10^{5}\right)$ | $G\left(\times 10^{-4}\right)$ | $T$ | $N_{\text {ANC }}\left(\times 10^{5}\right)$ | $\begin{gathered} \text { mean } \mu \text { for } \\ \text { nSSR }\left(\times 10^{-4}\right) \end{gathered}$ | shape | mean $P_{\text {GSM }}$ |
| Northern | Model 1 | 0.040 | $\begin{gathered} 0.28 \\ (0.04-1.00) \end{gathered}$ |  |  |  | $\begin{gathered} 7.14 \\ (0.82-10.00) \end{gathered}$ | $\begin{gathered} 0.83 \\ (0.50-2.52) \end{gathered}$ | $\begin{gathered} 0.45 \\ (0.26-0.57) \end{gathered}$ |
|  | Model 2 | 0.574 | $\begin{gathered} 1.01 \\ (0.17-7.07) \end{gathered}$ | $\begin{gathered} -2.24 \\ (-9.13--0.47) \end{gathered}$ |  |  | $\begin{gathered} 5.18 \\ (1.26-9.98) \end{gathered}$ | $\begin{gathered} 0.82 \\ (0.50-2.51) \end{gathered}$ | $\begin{gathered} 0.46 \\ (0.35-0.60) \end{gathered}$ |
|  | Model 3 | 0.158 | $\begin{gathered} 1.64 \\ (0.10-9.94) \end{gathered}$ |  | $\begin{gathered} 777 \\ (15-65396) \end{gathered}$ | $\begin{gathered} 0.10 \\ (0.01-0.61) \end{gathered}$ | $\begin{gathered} 2.68 \\ (0.67-9.99) \end{gathered}$ | $\begin{gathered} 0.88 \\ (0.50-2.52) \end{gathered}$ | $\begin{gathered} 0.47 \\ (0.28-0.59) \end{gathered}$ |
|  | Model 4 | 0.228 | $\begin{gathered} 0.94 \\ (0.10-9.98) \end{gathered}$ | $\begin{gathered} -3.73 \\ (-9.82--0.52) \end{gathered}$ | $\begin{gathered} 30973 \\ (14-99433) \end{gathered}$ | $\begin{gathered} 0.19 \\ (0.02-7.21) \end{gathered}$ | $\begin{gathered} 5.28 \\ (1.09-10.00) \end{gathered}$ | $\begin{gathered} 0.86 \\ (0.50-2.38) \end{gathered}$ | $\begin{gathered} 0.43 \\ (0.27-0.57) \end{gathered}$ |
| Southern | Model 1 | 0.503 | $\begin{gathered} 1.55 \\ (0.60-3.50) \end{gathered}$ |  |  |  | $\begin{gathered} 0.93 \\ (0.27-3.44) \end{gathered}$ | $\begin{gathered} 2.79 \\ (1.15-4.89) \end{gathered}$ | $\begin{gathered} 0.28 \\ (0.01-0.50) \end{gathered}$ |
|  | Model 2 | 0.010 | $\begin{gathered} 1.44 \\ (0.46-6.39) \end{gathered}$ | $\begin{gathered} -0.04 \\ (-0.42-0.00) \end{gathered}$ |  |  | $\begin{gathered} 0.71 \\ (0.19-3.85) \end{gathered}$ | $\begin{gathered} 2.28 \\ (1.04-4.98) \end{gathered}$ | $\begin{gathered} 0.32 \\ (0.01-0.59) \end{gathered}$ |
|  | Model 3 | 0.270 | $\begin{gathered} 2.60 \\ (0.03- \\ 10.00) \end{gathered}$ |  | $\begin{gathered} 7 \\ (1-37191) \end{gathered}$ | $\begin{gathered} 1.36 \\ (0.49-3.59) \end{gathered}$ | 0.73 $(0.24-3.59)$ | 2.71 $(1.11-4.94)$ | 0.24 $(0.02-0.44)$ |
|  | Model 4 | 0.217 | $\begin{gathered} 3.56 \\ (0.03-9.99) \\ \hline \end{gathered}$ | $\begin{gathered} -1.47 \\ (-9.50--0.01) \\ \hline \end{gathered}$ | $\begin{gathered} 6 \\ (1-1902) \\ \hline \end{gathered}$ | $\begin{gathered} 1.25 \\ (0.55-4.54) \\ \hline \end{gathered}$ | $\begin{gathered} 0.95 \\ (0.27-4.56) \\ \hline \end{gathered}$ | $\begin{gathered} 2.81 \\ (1.05-4.95) \\ \hline \end{gathered}$ | $\begin{gathered} 0.23 \\ (0.01-0.42) \\ \hline \end{gathered}$ |

The best supported model is shown in bold type. Model 1, standard neutral model; model 2, exponential growth model; model 3, instantaneous size change model; model 4, exponential growth after instantaneous size change model. NCUR, current effective population size, where the unit is number of diploid individuals; $G$, growth rate $\left[N_{\mathrm{T}} / N_{\mathrm{CUR}}=\exp (G \times T)\right.$, where $N_{\mathrm{T}}$ is the effective population size at time $T]$; $T$, time when the population size changed; $\mu$, average mutation rate among nSSR loci; shape, parameter for gamma distribution related to the variation in mutation rate at each locus; $P_{\mathrm{GSM}}$, parameter for the generalized stepwise mutation model (GSM), representing the proportion of mutations that changes allele sizes by more than one step. All time parameters are in units of generations.

Table 4. Posterior model probabilities, and posterior modes and $95 \%$ highest posterior densities (HPDs) for the parameters, in the models of population divergence, for the northern and southern lineages of Magnolia salicifolia

|  | Model (mode / 95\% HPD) |  |
| :---: | :---: | :---: |
|  | I model | IM model |
| Posterior probability | 0.119 | 0.882 |
| Number of free parameters | 6 | 9 |
| Parameter |  |  |
| $N_{\mathrm{N}}\left(\times 10^{5}\right)$ | $3.24$ | $\begin{gathered} 2.54 \\ (0.27-9.58) \end{gathered}$ |
| $N_{\text {S }}\left(\times 10^{5}\right)$ | $\begin{gathered} 1.40 \\ (0.50-3.47) \end{gathered}$ | $\begin{gathered} 1.59 \\ (0.44-4.04) \end{gathered}$ |
| $T_{\text {DIV }}\left(\times 10^{4}\right)$ | $\begin{gathered} 0.99 \\ (0.43-6.47) \end{gathered}$ | $\begin{gathered} 3.79 \\ (1.22-97.06) \end{gathered}$ |
| $N m_{\text {NS }}$ | - | $\begin{gathered} 0.97 \\ (0.00-3.58) \end{gathered}$ |
| $N m_{\text {SN }}$ | - | $\begin{gathered} 1.75 \\ (0.00-8.84) \end{gathered}$ |
| $\beta$ | - | $\begin{gathered} 0.22 \\ (0.02-0.96) \end{gathered}$ |
| mean $\mu$ for $\mathrm{nSSR}\left(\times 10^{-4}\right)$ | $\begin{gathered} 1.57 \\ (0.41-8.00) \end{gathered}$ | $\begin{gathered} 2.77 \\ (0.98-9.98) \end{gathered}$ |
| shape | $\begin{gathered} 0.81 \\ (0.50-3.31) \end{gathered}$ | $\begin{gathered} 0.94 \\ (0.51-3.51) \end{gathered}$ |
| mean $P_{\text {GSM }}$ | $\begin{gathered} 0.24 \\ (0.02-0.55) \end{gathered}$ | $\begin{gathered} 0.25 \\ (0.03-0.46) \end{gathered}$ |

The best supported model is shown in bold type. I model, isolation without migration model; IM model, isolation with migration model. $N_{\mathrm{N}}$ and $N_{\mathrm{s}}$, current effective population sizes in the northern and southern lineages, respectively, where the unit is the number of diploid individuals; $T_{\text {DIV }}$, divergence time (generation) between northern and southern lineages; $N m_{\mathrm{NS}}$ and $N m_{\mathrm{SN}}$, number of migrants per generation from the northern to the southern lineage and from the southern to the northern lineage, respectively (the direction of migration is toward coalescence, i.e., backward-in-time); $\beta$, reduction in the migration rate for chloroplast DNA; $\mu$, average mutation rate among nSSR loci; shape, parameter for gamma distribution related to the variation in mutation rates at each locus; $P_{\mathrm{GSM}}$, parameter for the generalized stepwise mutation model (GSM), representing the proportion of mutations that changes allele sizes by more than one step.

Fig. 1


Fig. 2
(A)

Model 2
Model 3
Model 4

(B)


Fig. 3


Fig. 4


Table S1. The four non-coding chloroplast DNA regions that were sequenced in this study

| Region | Primer name | Sequence 5' 3' $^{\prime}$ | Length (bp) | $T_{\mathrm{a}}\left({ }^{\circ} \mathrm{C}\right)$ | Reference |
| :---: | :---: | :---: | :---: | :---: | :---: |
| $t r n \mathrm{~S}-$ trn G | $\operatorname{trnS}^{\mathrm{GCU}}$ | AGA TAG GGA TTC GAA CCC TCG GT | 684 | 55 | Shaw et al. (2005) |
|  | 5'trnG2S | TTT TAC CAC TAA ACT ATA CCC GC |  |  | Shaw et al. (2005) |
| $\operatorname{trn} \mathrm{T}-p s b \mathrm{D}$ | $\operatorname{trnT}{ }^{(\mathrm{GGU})}-\mathrm{R}$ | CCC TTT TAA CTC AGT GGT | 1461 | 55 | Shaw et al. (2007) |
|  | psbD | CTC CGT ARC CAG TCA TCC ATA |  |  | Shaw et al. (2007) |
| $\operatorname{trn} \mathrm{T}-t r n \mathrm{~L}$ | $\operatorname{trnT}^{\mathrm{UGU}} 2 \mathrm{~F}$ | CAA ATG CGA TGC TCT AAC CT | 681 | 55 | Shaw et al. (2005) |
|  | b | TCT ACC GAT TTC GCC ATA TC |  |  | Taberlet et al. (1991) |
| rpl36-infA-rps8-rpl14 | rpL36 | GGR TTG GAA CAA ATT ACT ATA ATT CG | 1106 | 55 | Shaw et al. (2007) |
|  | rpL14 | AAG GAA ATC CAA AAG GAA CTC G |  |  | Shaw et al. (2007) |

$T_{\mathrm{a}}$, annealing temperature.

Table S2. Prior distributions in the population size change models

| Parameter | Distribution |
| :--- | :--- |
| $N_{\text {CUR }}$ | Log-uniform $\left(10^{3}, 10^{6}\right)$ |
| $G$ | Uniform $(-0.001,0)$ |
| $T$ | Log-uniform $\left(10^{0}, 10^{5}\right)$ |
| $N_{\mathrm{ANC}}$ | Log-uniform $\left(10^{3}, 10^{6}\right)$ |
| $\mu$ for nSSR | Log-uniform $\left(10^{-5}, 10^{-3}\right)$ |
| Shape | Uniform $(0.5,5)$ |
| $P_{\mathrm{GSM}}$ | Uniform $(0,1)$ |

Table S3. Prior distributions in the population divergence models

| Parameter | Distribution | Note |
| :--- | :--- | :--- |
| $N_{\mathrm{N}}$ | Log-uniform $\left(10^{3}, 10^{6}\right)$ |  |
| $N_{\mathrm{S}}$ | Log-uniform $\left(10^{3}, 10^{6}\right)$ |  |
| $G$ |  | Fixed to $-2.24 \times 10^{-4}$ |
| $T_{\mathrm{DIV}}$ | Log-uniform $\left(10^{2}, 10^{6}\right)$ |  |
| $N m_{\mathrm{NS}}$ | Log-uniform $\left(10^{-3}, 10^{1}\right)$ |  |
| $N m_{\mathrm{SN}}$ | Log-uniform $\left(10^{-3}, 10^{1}\right)$ |  |
| $\beta$ | Uniform $(0,1)$ |  |
| $\mu$ for nSSR | Log-uniform $\left(10^{-5}, 10^{-3}\right)$ |  |
| shape | Uniform $(0.5,5)$ |  |
| $P_{\mathrm{GSM}}$ | Uniform $(0,1)$ |  |

Table S4. Genetic diversity at 10 nuclear microsatellite loci across the 24 populations of Magnolia salicifolia studied

| Locus | $A$ | $H_{\mathrm{S}}$ | $H_{\mathrm{T}}$ | $F_{\mathrm{ST}}$ | $G_{\text {ST }}^{\prime}$ | $D$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\operatorname{stm} 0002$ | 23 | 0.770 | 0.905 | 0.151 | 0.670 | 0.612 |
| $\operatorname{stm} 0163$ | 22 | 0.833 | 0.917 | 0.096 | 0.565 | 0.525 |
| $\operatorname{stm} 0184$ | 25 | 0.819 | 0.915 | 0.108 | 0.601 | 0.553 |
| $\operatorname{stm} 0214$ | 27 | 0.750 | 0.921 | 0.198 | 0.764 | 0.714 |
| $\operatorname{stm} 0223$ | 25 | 0.821 | 0.905 | 0.085 | 0.532 | 0.490 |
| $\operatorname{stm} 0246$ | 44 | 0.898 | 0.966 | 0.077 | 0.713 | 0.696 |
| $\operatorname{stm} 0251$ | 21 | 0.834 | 0.918 | 0.091 | 0.568 | 0.528 |
| $\operatorname{stm} 0415$ | 25 | 0.768 | 0.893 | 0.148 | 0.624 | 0.562 |
| $\operatorname{stm} 0423$ | 51 | 0.847 | 0.965 | 0.117 | 0.827 | 0.805 |
| $\operatorname{stm} 0448$ | 15 | 0.476 | 0.674 | 0.301 | 0.573 | 0.394 |
| Average / overall | 27.8 | 0.782 | 0.898 | 0.133 | 0.613 | 0.556 |

$A$, number of alleles; $H_{\mathrm{S}}$, average gene diversity within populations; $H_{\mathrm{T}}$, gene diversity in the total population; $F_{\mathrm{ST}}$, Weir \& Cockerham's $F_{\mathrm{ST}} ; G^{\prime}{ }_{\mathrm{ST}}$, Hedrick's standardized $G_{\mathrm{ST}}$; $D$, Jost's $D$.

Table S5. Nucleotide sequence variation among seven haplotypes in four chloroplast DNA regions of Magnolia salicifolia and M. denudata (outgroup)

| Haplotype | $N$ | $\begin{gathered} t r n \mathrm{~S}- \\ \operatorname{trn\mathrm {G}} \\ (684 \mathrm{bp}) \end{gathered}$ |  | $\begin{gathered} t r n \mathrm{~T}-p s b \mathrm{D} \\ (1461 \mathrm{bp}) \end{gathered}$ |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | 114 | 452 | 941 | 1026 | 1194 | 1805 | 1825 | 1999 | 2041 | 2051 | 2089 |
| A | 25 | - | G | G | G | T | T | G | G | G | A | A |
| B | 7 | - | - | - | - | - | - | A | - | - | - | - |
| C | 1 | - | - | - | - | - | - | A | - | - | - | - |
| D | 2 | - | - | - | - | - | - | - | - | - | - | - |
| E | 2 | - | - | - | - | C | - | - | - | - | - | - |
| F | 8 | - | - | - | T | - | - | - | - | - | - | G |
| G | 6 | $\mathrm{I}_{1}$ | - | - | T | - | - | - | - | A | - | G |
| M. denudata | 1 | - | A | A | T | - | C | - | A | - | G | G |

Table S5. continued

| Haplotype | $N$ | $\begin{gathered} \operatorname{trn} \mathrm{T}-\operatorname{trn} \mathrm{L} \\ (681 \mathrm{bp}) \end{gathered}$ |  |  |  |  |  |  |  |  |  |  | $\begin{gathered} \text { rpl36-infA- } \\ \text { rps } 8-r p l 14 \\ (1106 \mathrm{bp}) \\ \hline \end{gathered}$ |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | 2161 | 2172 | 2173 | 2265 | 2296 | 2300 | 2357 | 2408 | 2636 | 2653 | 2743 | 3249 | 3276 | 3854 |
| A | 25 | A | A | A | $\mathrm{I}_{2}$ | G | G | G | G | T | G | A | A | G | - |
| B | 7 | - | - | - | $\mathrm{I}_{2}$ | - | - | - | - | - | - | - | - | - | - |
| C | 1 | - | - | C | $\mathrm{I}_{2}$ | - | - | - | - | - | - | - | - | - | - |
| D | 2 | - | C | - | $\mathrm{I}_{2}$ | - | - | - | - | - | - | - | - | - | - |
| E | 2 | - | - | - | $\mathrm{I}_{2}$ | - | - | - | - | - | - | - | - | - | - |
| F | 8 | - | - | - | $\mathrm{I}_{2}$ | - | - | - | - | - | - | - | - | A | - |
| G | 6 | C | - | - | $\mathrm{I}_{2}$ | - | - | T | - | - | - | G | - | - | - |
| M. denudata | 1 | - | - | - | - | T | T | T | T | C | T | - | G | - | $\mathrm{I}_{3}$ |

$N$, number of individuals; • the same nucleotide as in haplotype $\mathrm{A} ;-$, deletion; $\mathrm{I}_{1}$, insertion of TTATCTTTCTTTTCTTTATTCTAT; $\mathrm{I}_{2}$, insertion of CTATAA; $I_{3}$, insertion of GAGAA. Gray columns indicate sites variable within M. salicifolia.

Table S6. Three principal components (PCs) explaining the variation in leaf shape

| Principal <br> component | Eigenvalue <br> $\left(\times 10^{-3}\right)$ | Contribution <br> $(\%)$ | Cumulative <br> contribution (\%) |
| :---: | :---: | :---: | :---: |
| PC1 | 3.06 | 48.83 | 48.83 |
| PC2 | 1.35 | 21.51 | 70.34 |
| PC3 | 0.98 | 15.67 | 86.01 |
| Overall | 6.26 |  |  |

Only PCs contributing more than $5 \%$ are shown.

Table S7. Hierarchically estimated variance components for three principal components (PCs) explaining the variation in leaf shape and leaf area

| Layer | PC1 (\%) | PC2 (\%) | PC3 (\%) | Area (\%) |  |  |  |
| :--- | ---: | ---: | ---: | ---: | ---: | ---: | ---: |
| Between lineages | $42.2^{* * *}$ | $0.4^{* * S}$ | $19.2^{* * *}$ | $45.3^{* * *}$ |  |  |  |
| Among populations within lineages | $13.3^{* * *}$ | $1.9^{* * *}$ | $10.0^{* * *}$ | $8.4^{* * *}$ |  |  |  |
| Among individuals within populations | $18.0^{* * *}$ | $3.2^{* * *}$ | $16.4^{* * *}$ | $16.1^{* * *}$ |  |  |  |
| Among leaves within individuals | 26.6 |  | 94.5 |  | 54.4 | 30.2 |  |

Only PCs contributing more than $5 \%$ are shown.
N.S., not significant; ${ }^{* *}, P<0.01 ;{ }^{* * *}, P<0.001$.



Figure S2. Latitudinal and longitudinal changes in allelic richness based on nine individuals and expected heterozygosity calculated from 10 nuclear microsatellite loci in the 24 populations of Magnolia salicifolia. Smoothed lines show to the estimates from locally weighted polynomial regression. Gray areas indicate $95 \%$ confidence intervals.


Figure S3. Results from STRUCTURE analysis. Changes in the log probability of data and $\Delta K$ with increasing $K(\mathrm{~A})$. Distributions of genetic clusters in each individual at $K=$ 2 and 17 (B and C, respectively). Numbers below the bar plots indicate the population numbers listed in Table 1.


Figure S4. Geographic distance (km) transformed to natural logarithms and genetic distances $\left[F_{\mathrm{ST}} /\left(1-F_{\mathrm{ST}}\right)\right]$ estimated with 10 nuclear microsatellite loci for all 24 , the northern 10 and the southern 14 populations of Magnolia salicifolia. $P$-values were calculated by Mantel tests.


Figure S5. Neighbor-joining tree constructed based on $D_{\mathrm{A}}$ distances estimated with 10 nuclear microsatellite loci among the 24 populations of Magnolia salicifolia. Numbers in bold type, and numbers near nodes, indicate the population numbers in Table 1 and the bootstrap probability where $>50 \%$, respectively.


Figure S6. Distributions for $\mathrm{PC} 1, \mathrm{PC} 2, \mathrm{PC} 3$ and leaf area across 23 populations of Magnolia salicifolia.
(A)

(B)



eter


Figure S7. Results from the posterior predictive simulations in models 2 and 1 of the population size change models for the northern (A) and southern (B) lineages of Magnolia salicifolia. Histograms and vertical bars indicate predicted and observed values, respectively. $A$, number of alleles; $H$, expected heterozygosity; $R$, allele size range; $S$, number of polymorphic sites; $p i$, mean number of pairwise differences.


Figure S8. Results from the posterior predictive simulations for the isolation with migration model (IM model) of the population divergence models in the northern and southern lineages of Magnolia salicifolia. Histograms and vertical bars indicate predicted and observed values, respectively. $A$, number of alleles; $H$, expected heterozygosity; $R$, allele size range; $S$, number of polymorphic sites; $p i$, mean number of pairwise differences; $F S T n, F_{\mathrm{ST}}$ over all loci of 10 nuclear microsatellites; $F S T c p, F_{\mathrm{ST}}$ for chloroplast DNA haplotypes. Plots for the northern and southern lineages are indicated by 1 and 2 , respectively.


Figure S9. Prior (dashed line) and posterior (solid line) distributions for the isolation (I) model and isolation with migration (IM) models in the northern and southern lineages of Magnolia salicifolia.

